nimblenet Documentation

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nimblenet is a lightweight and efficient Numpy library for creating feed forward neural networks. The library was developed with PYPY in mind and should play nicely with their super-fast JIT compiler. The networks can be trained by a variety of learning algorithms: backpropagation, resilient backpropagation, adaptive learning rate backpropagation, scaled conjugate gradient and SciPy's optimize function.

This is a list of handy links to get up and running.

- Getting Started
- Cost Functions
- Activation Functions
- Saving and loading a trained network

Installing

\$ pip install nimblenet

1.1 Dependencies

- Python 2.7
- NumPy
- SciPy (optional). This is of course a required depedency if you intend to train the network using SciPy's optimize function.

Content

2.1 Getting Started

This guide will walk you through how to install nimblenet and configure a network using the library.

• Installing

- Required dependencies
- Optional dependencies
- Creating a Network
- Training the Network
- Using the Network
- Putting it all together

2.1.1 Installing

```
$ pip install nimblenet
```

Required dependencies

- Python 2.7
- NumPy

Optional dependencies

• SciPy

In order to speed up the code when using the Sigmoid activation functions, the SciPy package should also be installed. This is an optional dependency, but it is of course required if you intend to train the network using SciPy's optimize function.

2.1.2 Creating a Network

Once nimblenet has been installed, initializing a network is simple. The following example creates a two layered network that require two input signals.

```
from nimblenet.activation_functions import sigmoid_function
from nimblenet.neuralnet import NeuralNet
settings = {
    "n_inputs" : 2,
    "layers" : [ (3, sigmoid_function), (1, sigmoid_function) ]
}
network = NeuralNet( settings )
```

The layers parameter describe the topology of the network. The first tuple state that the hidden layer should have three neurons and apply the sigmoid activation function. The final tuple in the layers list *always* describe the number of output signals. A list of built-in activations functions are listed in Activation Functions.

Important: The final tuple in the layers list always describe the number of output signals.

The properties specified in the settings parameter are *required*. The initialization of a network is further customizable, please refer to the page Initializing a Network.

2.1.3 Training the Network

The network can be trained by a wide range of learning functions. In this quick intro, we will see how use RMSprop to fit the network to some training data.

First off, we need some dataset to fit the network to. In this guide, we will teach the network XOR. In nimblenet, a dataset is a list of *Instances*.

```
from nimblenet.data_structures import Instance
dataset = [
    # Instance( [inputs], [outputs] )
    Instance( [0,0], [0] ), Instance( [1,0], [1] ), Instance( [0,1], [1] ), Instance( [1,1], [0] )
```

The dataset above consist of four training instances with two input signals and one output signal. In general we would split the dataset into a training set and a test set, but for the XOR problem we simply specify the training and test set to be identical:

```
training_set = dataset
test_set = dataset
```

The nimblenet library also offers a selection of preprocessors to manipluate the data and make training more efficient. The preprocessors are not used in this guide, please refer to Preprocessing instead.

Before fitting the network to some training data, we need to decide which cost function we would like to optimize. There are a few cost functions already implemented in this library, and this guide will use the *Cross Entropy* cost function. However, it is easy to implement your own custom cost functions. Please refer to Cost Functions.

```
from nimblenet.cost_functions import cross_entropy_cost
cost_function = cross_entropy_cost
```

Now that we've specified a cost function, we can use RSMprop to train our network:

```
test_set,  # specify the test set
cost_function,  # specify the cost function to calculate error
ERROR_LIMIT = 1e-2, # define an acceptable error limit
#max_iterations = 100, # continues until the error limit is reach if this argume
)
```

If the training shows poor progression, you may try to gradient check the network to verify that the numerical and the analytical gradient are similar. If the gradient check fails, the math might be wrong. Refer to gradient checking here: Gradient Checking.

2.1.4 Using the Network

After the training has completed, we can verify the training by forward propagating some input data in the network. Since the network is written using matrices, we can forward propagate multiple input instances at once. In contrast to the instances generated when training the network, these instance will only be created with a single parameter (the input signal). The following code tests the output of two instances:

```
prediction_set = [ Instance([0,1]), Instance([1,0]) ]
print network.predict( prediction_set )
>> [[ 0.99735413]
      [ 0.99735378]]
```

The prediction method returns a two dimensional NumPy list (shape = $[n_samples, n_outputs]$). The first dimension of the list contain the outputs from the corresponding Instance.

2.1.5 Putting it all together

```
from nimblenet.activation_functions import sigmoid_function
from nimblenet.cost_functions import cross_entropy_cost
from nimblenet.learning_algorithms import RMSprop
from nimblenet.data structures import Instance
from nimblenet.neuralnet import NeuralNet
dataset
              = [
   Instance([0,0], [0]), Instance([1,0], [1]), Instance([0,1], [1]), Instance([1,1], [0])
1
settings
            = {
    "n_inputs" : 2,
    "layers" : [ (5, sigmoid_function), (1, sigmoid_function) ]
}
        = NeuralNet( settings )
network
              = dataset
training_set
              = dataset
test_set
cost_function = cross_entropy_cost
RMSprop(
       network,
                                           # the network to train
                                          # specify the training set
       training set,
                                          # specify the test set
       test set,
                                           # specify the cost function to calculate error
       cost_function,
```

```
ERROR_LIMIT = 1e-2, # define an acceptable error limit

#max_iterations = 100, # continues until the error limit is reach if this argume
```

2.2 Initializing a Network

In nimblenet, a neural network is configured according to a dict of parameters specified upon initialization.

```
from nimblenet.neuralnet import NeuralNet
network = NeuralNet({
    "n_inputs" : 2,
    "layers" : [ (1, sigmoid_function) ],
})
```

Important: The final tuple in the layers list always describe the number of output signals.

2.2.1 Parameters

The two dict keys n_inputs and layers are required. However, the network is further customizable through specifying any of the following dict parameters:

- n_inputs the number of input signals
- layers the topology of the network
- initial_bias_value the input signal from the bias node will be initialized to this value
- weights_low the lower bound on weight value during the random initialization
- weights_high the upper bound on weight value during the random initialization

2.2.2 Example

```
from nimblenet.neuralnet import NeuralNet
settings
             = {
   # Required settings
   "n_inputs"
                                     # Number of network input signals
                          : 2,
   "layers"
                           : [ (3, sigmoid_function), (1, sigmoid_function) ],
                                      # [ (number_of_neurons, activation_function) ]
                                       # The last pair in the list dictate the number \phi f output sig.
    # Optional settings
   "initial_bias_value"
                         : 0.0,
                          : -0.1,
    "weights_low"
                                    # Lower bound on the initial weight value
   "weights_high"
                         : 0.1,
                                     # Upper bound on the initial weight value
}
network = NeuralNet( settings )
```

2.3 Saving and loading a trained network

2.3.1 Save

A network can be easily saved to a file:

```
from nimblenet.neuralnet import NeuralNet
# Create a network
network = NeuralNet({
    "n_inputs" : 2,
    "layers" : [ (1, sigmoid_function) ],
})
# Save the network to disk
network.save_network_to_file( "%s.pkl" % "filename" )
```

In addition to doing this explicitly, all of the learning algorithms also offer the possibility to save the network after the training has completed. This is done by passing the named parameter save_trained_network = True when calling the learning function:

RMSprop(..., save_trained_network = False) # omitted parameters for readability

This will promt the user whether to save the network or not, upon completion of the training.

2.3.2 Load

If you have saved a network to a file, you can easily load the network back up by calling:

```
from nimblenet.neuralnet import NeuralNet
network = NeuralNet.load_network_from_file( "%s.pkl" % "filename" )
```

2.4 Preprocessing

This is a work in progress. However, the library has already implementations a few of the most used preprocessing techniques.

• Usage
• Available preprocessors
– Standardize
– <i>Replace</i> NaN
– Subtract Mean
– Normalize
– Whiten

A preprocessor can be constructed by combining any number of these techniques, and is intended allow maximum configurability.

2.4.1 Usage

First, we need to import construct_preprocessor. This will take care of combining our preprocessors:

from nimblenet.preprocessing import construct_preprocessor

Next, we import the preprocessors we'd like to apply:

from nimblenet.preprocessing import replace_nan, standarize

Then, we combine the preprocessors. This is done by sending a list of preprocessors in addition to the dataset which we would like to fit the preprocessors againts. Note: this dataset should be the combined set of training, test and validation data.

```
preprocess = construct_preprocessor( dataset, [
               ( replace_nan, {"replace_with": 0 }),
               standardize
])
```

This constructed preprocessor can now be applied to your datasets. Let's take a look at how we can apply this to the XOR dataset:

Remember that if using a preprocessor before training the network, you will have to use the same preprocessor before using the network to predict based on new input signals.

Important: The dataset given to construct_preprocessor should be the combined set of training, test and validation data.

2.4.2 Available preprocessors

Standardize

from nimblenet.preprocessing import standarize

Has no parameters.

Replace NaN

from nimblenet.preprocessing import replace_nan

Takes an optional parameter replace_with. By default, it replaces NaN with the mean of the given input signal.

In order to replace NaN with zero:

Subtract Mean

from nimblenet.preprocessing import subtract_mean

Has no parameters.

Normalize

from nimblenet.preprocessing import normalize

Has no parameters.

Whiten

from nimblenet.preprocessing import whiten

Takes an optional parameter epsilon. By default, epsilon equals 1e-5.

In order to redefine epsilon to e.g 0.5:

2.5 Gradient Checking

Gradient checking great method for debugging neural networks. The main challenge with implementing these networks, is to get the gradient calculations correct. To verify the analytically computed gradients that are used during gradient descent, we can compare these gradients to numerically calculated gradients. This is called gradient checking.

Warning: Gradient checking against a large dataset is very slow.

Important: If the gradient check fails, it will query the user whether to abort or continue executing the script.

2.5.1 Usage

Checking the gradient of a network requires both a dataset and a specific cost function.

```
network = NeuralNet( ... ) # parameters omitted for readability
network.check_gradient( dataset, cost_function )
```

The following code snippet is a complete example on how to perform gradient checking:

```
from nimblenet.activation_functions import binary_cross_entropy_cost
from nimblenet.cost_functions import cross_entropy_cost
from nimblenet.data_structures import Instance
from nimblenet.neuralnet import NeuralNet
cost_function = binary_cross_entropy_cost
dataset = [ Instance( [0,0], [0] ), Instance( [1,0], [1] ), Instance( [0,1], [1] ),
settings = {
    "n_inputs" : 2,
    "layers" : [ (2, sigmoid_function), (1, sigmoid_function) ]
}
network = NeuralNet( settings )
network.check_gradient( dataset, cost_function )
```

2.6 Activation Functions

The some of the most popular activation functions has already been implemented in nimblenet. However, it is very easy to specify your own activation function as described in *Arbitrary Activation Functions*.

- Usage
- List of cost functions
 - Sigmoid function
 - Tanh function
 - Softmax function
 - Elliot function
 - Symmetric Elliot function
 - ReLU function
 - LReLU function
 - *Linear function*
 - Softplus function
 - Softsign function
- Arbitrary Activation Functions
 - How to

2.6.1 Usage

Using the various activation functions is as easy as importing the desired activation function and using it when declaring the network topology. Below is an example of how to use the Sigmoid activation function in a simple neural network.

A network may of course use different activation functions at each layer:

2.6.2 List of cost functions

Sigmoid function

from nimblenet.activation_functions import sigmoid_function

Tanh function

from nimblenet.activation_functions import tanh_function

Softmax function

from nimblenet.activation_functions import softmax_function

Elliot function

The Elliot function is a fast approximation to the Sigmoid activation function.

from nimblenet.activation_functions import elliot_function

Symmetric Elliot function

The Symmetric Elliot function is a fast approximation to the tanh activation function.

from nimblenet.activation_functions import symmetric_elliot_function

ReLU function

from nimblenet.activation_functions import ReLU_function

LReLU function

This is the leaky rectified linear activation function.

from nimblenet.activation_functions import LReLU_function

Linear function

from nimblenet.activation_functions import linear_function

Softplus function

from nimblenet.activation_functions import softplus_function

Softsign function

from nimblenet.activation_functions import softsign_function

2.6.3 Arbitrary Activation Functions

It is easy to write your own, custom activation functions. A activation function takes the required form:

```
def activation_function( signal, derivative = False ):
    ...
```

The signal parameter is a NumPy matrix with shape [n_samples, n_outputs]. When the derivative flag is true, the activation function is expected to return the partial derivation of the function.

As an example, we can look at how the tanh activation function is implemented:

```
def tanh_function( signal, derivative=False ):
    squashed_signal = np.tanh( signal )
    if derivative:
        return 1 - np.power( squashed_signal, 2 )
    else:
        return squashed_signal
```

How to

Lets define a custom cost function and use it when training the network:

```
from nimblenet.learning_algorithms import backpropagation
from nimblenet.cost_functions import sum_squared_error
from nimblenet.data_structures import Instance
from nimblenet.neuralnet import NeuralNet
import numpy as np

def custom_activation_function( signal, derivative = False ):
    # This activation function amounts to a ReLU layer
    if derivative:
        return (signal > 0).astype(float)
```

```
else:
       return np.maximum( 0, signal )
#end
              = [ Instance( [0,0], [0] ), Instance( [1,0], [1] ), Instance( [0,1], [1] ), Instance(
dataset
settings
              = {
    "n_inputs" : 2,
    # This is where we apply our custom activation function:
    "layers" : [ (2, custom_activation_function) ]
}
          = NeuralNet ( settings )
network
training_set = dataset
test_set = dataset
cost_function = sum_squared_error
backpropagation(
                             # the network to train
       network,
                         # specify the training set
       training_set,
       test_set,
                             # specify the test set
       test_set,# specify the lest setcost_function# specify the cost function to optimize
    )
```

2.7 Learning Algorithms

This library offers a wide range of analytical learning algorithms. These algorithms have been implemented in Python using NumPy and its matrices for efficiency:

```
Backpropagation Variations

Vanilla Backpropagation
Classical Momentum
Nesterov Momentum
RMSprop
Adagrad
Adam

Additional Learning Algorithms

Resilient Backpropagation
Scaled Conjugate Gradient
SciPy's Optimize
```

To shorten the code examples given below, the following code snippet is implicitly called before executing the examples:

```
from nimblenet.activation_functions import sigmoid_function
from nimblenet.cost_functions import cross_entropy_cost
from nimblenet.data_structures import Instance
from nimblenet.neuralnet import NeuralNet
dataset = [
    Instance( [0,0], [0] ), Instance( [1,0], [1] ), Instance( [0,1], [1] ), Instance( [1,1], [1] )
]
```

```
settings = {
    "n_inputs" : 2,
    "layers" : [ (1, sigmoid_function) ]
}
network = NeuralNet( settings )
training_set = dataset
test_set = dataset
cost_function = cross_entropy_cost
```

Important: The *dropout* regularization strategy is applicable to all backpropagation variations and adaptive learning rate methods. The scaled conjugate gradient, SciPy's optimize, and resilient backpropagation does not support this regularization.

2.7.1 Backpropagation Variations

These are the common parameters accepted by the following learning algorithms along with their default value:

```
learning_algorithm(
          # Required parameters
            network,
training_set,
test_set,
                                                                                                                      # the neural network instance to train
                                                                                                                      # the training dataset
                                                                                                                 # the test dataset
             test set,
            cost_function,
                                                                                                                      # the cost function to optimize
             # Optional parameters
            ERROR_LIMIT = 1e-3, # Error tolerance when terminating the learning
           max_iterations = (), # Regardless of the achieved error, terminate after max_iterations
batch_size = 0, # Set the batch size. 0 implies using the entire training_set as a set of the 
            input_layer_dropout = 0.0, # Dropout fraction of the input layer
            hidden_layer_dropout = 0.0, # Dropout fraction of in the hidden layer(s)
             print_rate = 1000, # The epoch interval to print progression statistics
             save_trained_network = False # Whether to ask the user if they would like to save the network af
```

Vanilla Backpropagation

This example show how to train your network using the vanilla backpropagation algorithm. The optional common parameters has been skipped for brevity, but the algorithm conforms to *common backpropagation variables*.

Classical Momentum

This example show how to train your network using backpropagation with classical momentum. The optional common parameters has been skipped for brevity, but the algorithm conforms to *common backpropagation variables*.

Named variables are shown together with their default value.

Nesterov Momentum

This example show how to train your network using backpropagation with Nesterov momentum. The optional common parameters has been skipped for brevity, but the algorithm conforms to *common backpropagation variables*.

Named variables are shown together with their default value.

RMSprop

This example show how to train your network using RMSprop. The optional common parameters has been skipped for brevity, but the algorithm conforms to *common backpropagation variables*.

Named variables are shown together with their default value.

```
from nimblenet.learning_algorithms import RMSprop
RMSprop(
        # Required parameters
                                   # the neural network instance to train
       network,
       training_set,
                                   # the training dataset
       test_set,
                                   # the test dataset
                                   # the cost function to optimize
       cost_function,
       # RMSprop specific, optional parameters
       decay_rate = 0.99,
       epsilon
                   = 1e-8
   )
```

Adagrad

This example show how to train your network using Adagrad. The optional common parameters has been skipped for brevity, but the algorithm conforms to *common backpropagation variables*.

Named variables are shown together with their default value.

Adam

This example show how to train your network using Adam. The optional common parameters has been skipped for brevity, but the algorithm conforms to *common backpropagation variables*.

Named variables are shown together with their default value.

```
from nimblenet.learning_algorithms import Adam
Adam (
       # Required parameters
                 et,
                                 # the neural network instance to train
       network,
       training_set,
                                 # the training dataset
                                 # the test dataset
       test_set,
       cost_function,
                                 # the cost function to optimize
       # Adam specific, optional parameters
       beta1 = 0.9,
beta2 = 0.999,
                = 1e-8
       epsilon
   )
```

2.7.2 Additional Learning Algorithms

Resilient Backpropagation

This example show how to train your network using resilient backpropagation. This is the iRprop+ variation of resilient backpropagation.

Named variables are shown together with their default value.

```
# Resilient backpropagation specific, optional parameters
weight_step_max = 50.,
weight_step_min = 0.,
start_step = 0.5,
learn_max = 1.2,
learn_min = 0.5,
# Optional parameters
ERROR_LIMIT = 1e-3, # Error tolerance when terminating the learning
max_iterations = (), # Regardless of the achieved error, terminate after max_iterations of
print_rate = 1000, # The epoch interval to print progression statistics
save_trained_network = False # Whether to ask the user if they would like to save the network after
```

Scaled Conjugate Gradient

This example show how to train your network using scaled conjugate gradient. This algorithm has been implemented according to Scaled Conjugate Gradient for Fast Supervised Learning authored by Martin Møller.

Named variables are shown together with their default value.

SciPy's Optimize

This example show how to train your network using SciPy's optimize function. This learning algorithm requires SciPy to be installed.

Named variables are shown together with their default value.

save_trained_network = False # Whether to ask the user if they would like to save the network af

2.8 Cost Functions

A the most popular and applicable cost functions has already been implemented in this library, and are listed below. However, it is very easy to specify your own cost functions as described in *Arbitrary Cost Functions*.

```
Usage
List of cost functions

Sum Squared Error
Binary Cross Entropy
Softmax Categorical Cross Entropy
Hellinger Distance

Arbitrary Cost Functions

How to
```

Warning: The Softmax Categorical Cross Entropy cost function is required when using a softmax layer in the network topology.

2.8.1 Usage

Using the various cost functions is as easy as only importing the desired cost function and passing it to the decided learning function. Below is an example of how to use the Cross Entropy cost function when training using the vanilla backpropagation algorithm.

```
from nimblenet.cost_functions import binary_cross_entropy_cost
from nimblenet.activation_functions import sigmoid_function
from nimblenet.learning_algorithms import backpropagation
from nimblenet.data_structures import Instance
from nimblenet.neuralnet import NeuralNet
              = [ Instance( [0,0], [0] ), Instance( [1,0], [1] ), Instance( [0,1], [1] ), Instance(
dataset
            = {
settings
    "n_inputs" : 2,
    "layers" : [ (2, sigmoid_function) ]
}
network = NeuralNet( settings )
training_set = dataset
test_set = dataset
cost_function = binary_cross_entropy_cost
backpropagation(
                           # the network to train
       network,
       training_set,
                        # specify the training set
                            # specify the test set
       test_set,
       # This is where we specify the cost function to optimize:
       cost_function  # specify the cost function to calculate error
   )
```

2.8.2 List of cost functions

- Sum Squared Error
- Binary Cross Entropy
- Softmax Categorical Cross Entropy
- Hellinger Distance

Sum Squared Error

from nimblenet.cost_functions import sum_squared_error

Binary Cross Entropy

from nimblenet.cost_functions import binary_cross_entropy_cost

Softmax Categorical Cross Entropy

This cost function is **required** when including a softmax layer in your network topology.

from nimblenet.cost_functions import softmax_categorical_cross_entropy_cost

Hellinger Distance

from nimblenet.cost_functions import hellinger_distance

2.8.3 Arbitrary Cost Functions

It is easy to optimize your own, custom cost functions. A cost function has the required form:

The outputs and targets parameters are NumPy matrices with shape [n_samples, n_outputs].

As an example, we can look at how the Sum Squared Error function is implemented:

```
def sum_squared_error( outputs, targets, derivative = False ):
    if derivative:
        return outputs - targets
    else:
        return 0.5 * np.mean(np.sum( np.power(outputs - targets,2), axis = 1 ))
```

Important: Observe that we calculate the mean of the error, per singal, across the input instances fed into the network. This detail is important to remember in order to get the derivatives correct.

How to

Lets define a custom cost function and use it when training the network:

```
from nimblenet.activation_functions import sigmoid_function
from nimblenet.learning_algorithms import backpropagation
from nimblenet.data_structures import Instance
from nimblenet.neuralnet import NeuralNet
import numpy as np
def custom_cost_function( outputs, targets, derivative = False ):
   if derivative:
       return outputs - targets
    else:
       return 0.5 * np.mean(np.sum( np.power(outputs - targets,2), axis = 1 ))
#end
              = [ Instance( [0,0], [0] ), Instance( [1,0], [1] ), Instance( [0,1], [1] ), Instance(
dataset
settings
              = {
   "n_inputs" : 2,
    "layers" : [ (2, sigmoid_function) ]
}
          = NeuralNet( settings )
network
training_set = dataset
test_set = dataset
cost_function = custom_cost_function
backpropagation(
                             # the network to train
       network,
       training_set,
                             # specify the training set
                             # specify the test set
       test_set,
       # This is where we specify the cost function to optimize:
                            # specify the cost function to calculate error
       cost_function
   )
```