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# MonteModes Documentation

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Montemodes is a software to calculate Monte Carlo simulations using the Metropolis algorithm. This software connects with Gaussian or Tinker to calculate the energy at each step.



# CHAPTER 1

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## How to install

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Download the code and use :file: *setup.py* to install the code using :program: *setuptools* python module. A simple setup could be

```
$ setup.py install --user
```

the code will be installed as a python module. To check that it is properly installed you can run the :program: ‘python’ interpret and execute

```
import montemodes
```

if the module should be loaded without warnings and errors



# CHAPTER 2

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## Structure object

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```
$ Structure(coordinates=None, internal=None,      z_matrix=None,      int_label=None,      atom_types=None,
           atomic_elements=None, atomic_numbers=None, connectivity=None, file_name=None, charge=0, multiplicity=1, int_weights=None):
```

### 2.1 Methods

```
def get_coordinates(): return self._coordinates.copy()
def set_coordinates(self, coordinates): self._coordinates = coordinates self._number_of_atoms = None
                                         self._energy = None
def get_internal(): return self._internal.copy()
def set_internal(internal): self._internal = internal
def get_full_z_matrix(): return self._full_z_matrix
def get_z_matrix(): return self._z_matrix
def set_z_matrix(z_matrix): self._z_matrix = z_matrix
def get_int_label(): return self._int_label
def set_int_label(int_label): self._int_label = int_label
def get_int_dict(): self._internal_dict = {} for i, label in enumerate(self.get_int_label()[:,0]):
                                         self._internal_dict.update({label:self.get_internal()[i, 0]})

                                         return self._internal_dict
def get_int_weights(): return self._int_weights
def set_int_weights(int_weights): self._int_weights = int_weights
def get_atomic_elements_with_dummy(): return self._atomic_elements
def get_atom_types(): return self._atom_types
```

```
def set_atom_types(atom_types): self._atom_types = atom_types
def get_atomic_numbers(): return self._atomic_numbers
def set_atomic_numbers(atomic_numbers):
def get_atomic_elements(self): return np.array([i for i in self._atomic_elements if i != "X"], dtype=str)
def set_atomic_elements(atomic_elements):
def get_connectivity(): return self._connectivity
def set_connectivity(connectivity):
def get_number_of_atoms(): return self._number_of_atoms
def get_number_of_internal(): return self._number_of_internal
def get_energy(method=None): return self._energy
def get_modes(method=None): return self._modes
def get_atomic_masses(self): return self._atomic_masses
```

## 2.2 Properties

```
@property def charge(self):
    return self._charge
@property def multiplicity(self):
    return self._multiplicity
```

### 2.2.1 example

```
initial_coordinates = [[ 0.5784585,   0.7670811,   1.3587379],
                       [-1.7015514,  -0.0389921,  -0.0374715],
                       [ 0.5784290,  -1.6512236,  -0.0374715],
                       [ 0.5784585,   0.7670811,  -1.4336809],
                       [ 0.0000000,   0.0000000,   0.0000000]]
initial_coordinates = np.array(initial_coordinates)

atomic_elements = ['O', 'O', 'O', 'O', 'P']
atomic_elements = np.array(atomic_elements) [None].T

molecule = Structure(coordinates=initial_coordinates,
                      atomic_elements=atomic_elements)

molecule.charge = 0
molecule.multiplicity = 1
```

# CHAPTER 3

## MonteCarlo simulation

### 3.1 Prepare the simulation

#### 3.1.1 Calculation method

The calculation method define the software to use to calculate the atomic interactions. Two software are implemented: **Gaussian09** and **Tinker**. To use these calculators, Gaussian and/or Tinker should be installed in your system and the binaries (or hard links to them) should be placed in a directory included in the \$PATH environment variable with the name **g09** and **tinker**, respectively. Note that setting up an alias in .profile or .bashrc for these software will not work.

Gaussian 09

```
from montecarlo.functions.method import gaussian
calculator = gaussian(methodology='pm6' [String],
                      internal=False [Boolean],
                      processors=None [Integer])
```

- methodology: Method label to use in **Gaussian09**. This argument should contain the basis set if it is necessary (Ex: B3LYP/6-31G).
- Internal: Use internal coordinates (z-matrix).
- Set number of processors to use in the :program:Gaussian09‘ calculation.

Tinker

```
from montecarlo.functions.method import tinker
calculator = tinker(parameter_set='mm3.prm' [String]):
```

- parameter\_set: name of the force field file to use. This file should be placed in the work directory or full path should be specified

### 3.1.2 Conditions

Conditions object contains the parameters of the Monte Carlo simulation

```
from montecarlo.classes.results import Conditions
conditions = Conditions(temperature=None [Float],
                        number_of_cycles=100000 [Integer],
                        kb=0.0019872041, # kcal/mol
                        initial_expansion_factor=0.05 [Float],
                        acceptation_regulator=1.0 [Float],
                        number_of_values_for_average=2000 [Integer],
                        energy_method=calculator [Method object])
```

- temperature: Temperature at which the MonteCarlo simulation is calcuculated.
- number\_of\_cycles: Number of simulation steps
- energy\_method: Calculation method object
- initial\_expansion\_factor: Initial factor of acceptance
- acceptation\_regulator: Ratio of alteration of the factor of acceptance as a function of acceptance.
- number\_of\_values\_for\_average: Number of last simulation steps used to calculate the averaged properties.
- kb: Boltzmann constant according to the units of energy and temperature

## 3.2 Run the simulation

Montecarlo object contains all the information concertenig to the simulation. This object is generated from a structure object tha contains the initial structure

```
from montecarlo.classes.results import MonteCarlo
simulation = MonteCarlo(structure)
```

To Run the simulation the *calculate\_MonteCarlo()* is used. This function returns a MonteCarlo object that contains the results

```
from montecarlo.functions.montecarlo import calculate_MonteCarlo
simulation = calculate_MonteCarlo(simulation [Montecarlo type],
                                    conditions [Conditions type],
                                    show_text=True [Boolean],
                                    alteration_type='cartesian' [String])
Return result [Montecarlo type]
```

- simulation: Initial Montecarlo object. If this object already contains information of a previous simulation, the simulation will continue adding the data of the new simulation.
- conditions: Conditions object.
- show\_text: If True writes montecarlo information on screen during the simulation calculation. If False the calculation is carried out silently.
- alteration\_type: Defines the way the structures are altered during each simulation step. The possible options are ‘cartesian’ ‘internal’ or ‘modes’.

The returned Montecarlo object can be used again in the *calculate\_MonteCarlo()* function to continue the simulation.

### 3.3 Save results to data files

To save the MonteCarlo data into files some helper functions are available in

```
montemodes.functions.reading
```

Save the energy, acceptation of each simulation

```
write_result_to_file(result, 'test.out')
```

Save the trajectory into a file in xyz format

```
write_result_trajectory(result.trajectory, 'trajectory.xyz')
```

Save the full simulation objects into a file

```
save_to_dump(conditions, result, filename='full.obj')
```

Load the simulation objects from a file

```
load_from_dump(filename='full.obj')
```

### 3.4 Example

```
import montemodes.functions.reading as io_monte
import montemodes.functions.montecarlo as monte
import montemodes.functions.methods as method
import montemodes.classes.results as res

gaussian_calc = method.gaussian(methodology='pm6',
                                 internal=False)

conditions = res.Conditions(temperature=500,
                            number_of_cycles=1000,
                            initial_expansion_factor=0.05,
                            acceptation_regulator=0.1,
                            number_of_values_for_average=20,
                            energy_method=gaussian_calc)

initial_structure = io_monte.reading_from_xyz_file('molecule.xyz')
initial_structure.charge = 0
initial_structure.multiplicity = 1

simulation = res.MonteCarlo(initial_structure)

result = monte.calculate_MonteCarlo(simulation,
                                    conditions,
                                    show_text=True,
                                    alteration_type='cartesian')

io_monte.write_result_to_file(result, 'montecarlo.out')
io_monte.write_result_trajectory(result.trajectory, 'trajectory.xyz')
```



# CHAPTER 4

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## Symmetry and shape analysis

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The symmetry and shape analysis is calculated using the external software :program: *shape*, :program: *symop*, and :program: *symgroup*. To use the interfaces to the binaries have to be placed in a directory included in the \$PATH environment variable with the name **shape**, **symop**, and **symgroup**, respectively. Note that setting up an alias in .profile or bashrc for these software will not work.

### 4.1 Shape

To use shape interface, shape module has to be loaded by

```
$ module load montemodes.functions.shape as shape
```

The use of shape module is divided in two parts: First a shape input object is created. This shape object defines the kind of shape calculation to perform

```
$ input_shape = shape.Shape(code=1,  
                           central_atom=0,  
                           custom_atom_list=None)
```

- code: corresponds to the shape code available in shape manual. It depends on the number of vertices.
- central\_atom: defines the atom number that will be used as central atom. Atom number uses the same rule as **shape** where the first atom is atom number 1. If central\_atom is 0 no central atom will be defined.
- custom\_atom\_list: defines a list of atoms of the structure that will be used in the shape calculation. If this value is None all atoms are used.

#### 4.1.1 methods

- `get_shape(structure [type Structure], input_shape [type Shape]):`

Return: Float

Get the shape measure of a structure

- `get_shape_trajectory(trajectory [list of Structure objects], input_shape [type Shape]):`

Return: List of Float

Get the shape of a list of structures

- `get_info(vertices=None):` Return: Null

Get information about available shapes. (equivalent to shape +).

### 4.1.2 example

```
$ import montemodes.functions.reading as io_monte
$ import montemodes.functions.shape as shape

$ structure = io_monte.reading_from_xyz_file('ch4.xyz')
$ input_shape = shape.Shape(code=2,
                           central_atom=1,
                           custom_atom_list=None)

$ measure = get_shape(structure, input_shape)
$ print ('The T-4 shape measure of CH4 is {}'.format(measure))
```

## 4.2 Symop

To use symop interface, symop module has to be loaded by

```
$ module load montemodes.functions.symop as symop
```

Likewise shape module, symop module is divided in two parts: First a symop input object is created. This symop object defines the kind of symmetry calculation to perform

```
$ input_symop = symop.Symop(symmetry='c 3',
                            label=False,
                            connect=False,
                            central_atom=0,
                            custom_atom_list=None)
```

- `symmetry`: corresponds to the symmetry operation to be measured.
- `label` : if True adds `%label` keyword to symop input (check symop manual for further information).
- `connect` : if True adds `%connect` keyword to symop input (check symop manual for further information).
- `central_atom`: defines the atom number that will be used as central atom. Atom number uses the same rule as `symop` where the first atom is atom number 1. If `central_atom` is 0 no central atom will be defined.
- `custom_atom_list`: defines a list of atoms of the structure that will be used in the shape calculation. If this value is None all atoms are used.

### 4.2.1 methods

- `get_symmetry(structure [type Structure], symop_input [type symop]):`

Return: Float

Get the symmetry measure of a structure.

- `get_symmetry_trajectory(trajecoty [type Structure], symop_input [type symop]):`

Return: List of Float

Get the symmetry measure of a list of Structure type objects.

## 4.2.2 example

```
$ import montemodes.functions.reading as io_monte
$ import montemodes.functions.symop as symop

$ structure = io_monte.reading_from_xyz_file('ch4.xyz')

$ input_symop = symop.Symop(symmetry='c 3',
                           label=False,
                           connect=False,
                           central_atom=0,
                           custom_atom_list=[1,2,3,4])

$ measure = get_symmetry(structure, input_symop)
$ print ('The C3 symmetry measure of CH4 is {}'.format(measure))
```



# CHAPTER 5

## Distortion index

### 5.1 Functions

The calculation of the distortion index as defined in the article: *Baur WH. Acta Crystallogr Sect B Struct Crystallogr Cryst Chem. 1974;30(5):1195–215.* is implemented in the functions

```
import montecarlo.analysis.distorsion as distorsion
distorsion.get_distortion_indices_angles(structure [Structure], 'A', 'B', 'C')
    Return distortion_index [Float]

distorsion.get_distortion_indices_distances(structure [Structure] , 'A', 'B')
    Return distortion_index [Float]
```

where structure is a Structure type object and ‘A’, ‘B’, and ‘C’ are the chemical symbol of the elements to analyze.

These functions can be called from a list of Structure type objects to return a dictionary with statistic data

```
dist_OPO = distorsion.get_distortion_statistic_analysis(structures [List of Structure],
    ↪distorsion.get_distortion_
    ↪indices_angles [Distorsion function],
    ↪['A', 'B', 'C'],
    ↪show_plots=False)
    return {'average': average [Float],
            'deviation': deviation [Float]}

dist_OP = distorsion.get_distortion_statistic_analysis(structures [List of Structure],
    ↪distorsion.get_distortion_
    ↪indices_distances [Distorsion function],
    ↪['A', 'B'],
    ↪show_plots=False)
    return {'average': average [Float],
            'deviation': deviation [Float]}
```

## 5.2 Example

```
import montemodes.functions.reading as io_monte
molecule1 = io_monte.reading_from_xyz_file('PO4_1.xyz')
molecule2 = io_monte.reading_from_xyz_file('PO4_2.xyz')
molecule3 = io_monte.reading_from_xyz_file('PO4_3.xyz')

import montemodes.analysis.distortion as distortion

di_OPO = distortion.get_distortion_indices_angles(molecule1, 'P', 'O', 'P')
di_OP = distortion.get_distortion_indices_distances(molecule2, 'P', 'O')

print 'results: {} {}'.format(di_OPO, di_OP)

#####
structures = [molecule1, molecule2, molecule3]
stat_OPO = distortion.get_distortion_statistic_analysis(structures,
                                                       distortion.get_distortion_
                                                       ↪indices_angles,
                                                       ['O', 'P', 'O'],
                                                       show_plots=False)

stat_OP = distortion.get_distortion_statistic_analysis(structures,
                                                       distortion.get_distortion_
                                                       ↪indices_distances,
                                                       ['O', 'P'],
                                                       show_plots=False)

print 'averages: {} {} and deviations: {} {}'.format(stat_OP['average'], stat_OPO[
                                                       ↪'average'],
                                                       stat_OP['deviation'], stat_OPO[
                                                       ↪'deviation'])
```

# CHAPTER 6

## Symmetry classification

Classify the symmetry of a list of structures is symmetry categories defined by the user

```
import montecarlo.analysis.symmetry_analysis
get_symmetry_analysis(structures [List of Structure Objects],
                      symmetry_to_analyze=None [List of Strings],
                      shape_to_analyze=1 [Integer],
                      central_atom=0 [Integer],
                      symmetry_threshold=0.1 [Float],
                      cutoff_shape=3.0 [Float],
                      show_plots=True [Boolean])

return {symmetry_label : percentage} [Dictionary]
```

- structures: List of Structure type objects to be analyzed
- symmetry\_to\_analyze : List of symmetry operations to classify the structures into.
- shape\_to\_analyze: Ideal shape of the structures
- cutoff\_shape: Maximum value of shape measurement (defined in shape\_to\_analyze) to be accepted. Structures with a higher value will be discarded.
- symmetry\_threshold: Maximum value of a symmetry measurement of a structure to consider that the structure has the measured symmetry.
- show\_plots: If True, graphical data is shown. This includes histograms showing the distribution of symmetry and shape measurements.

### 6.1 Exemple

```
import montemodes.functions.reading as io_monte
import montecarlo.analysis.symmetry_analysis

molecule1 = io_monte.reading_from_xyz_file('PO4_1.xyz')
```

```
molecule2 = io_monte.reading_from_xyz_file('PO4_2.xyz')
molecule3 = io_monte.reading_from_xyz_file('PO4_3.xyz')

structures = [molecule1, molecule2, molecule3]

percentage_dict = get_symmetry_analysis(structures [List of Structure Objects],
                                         symmetry_to_analyze=['c 2', 'c 3', 's 4', 'r
                                         ↵'],
                                         shape_to_analyze=2,
                                         central_atom=5,
                                         symmetry_threshold=0.15,
                                         cutoff_shape=5.0,
                                         show_plots=False)

for key in percentage_dict:
    print '{} : {}'.format(key, percentage_dict[key])
```